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Ware, William Powell

Title:

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Place:

Philadelphia

Date:

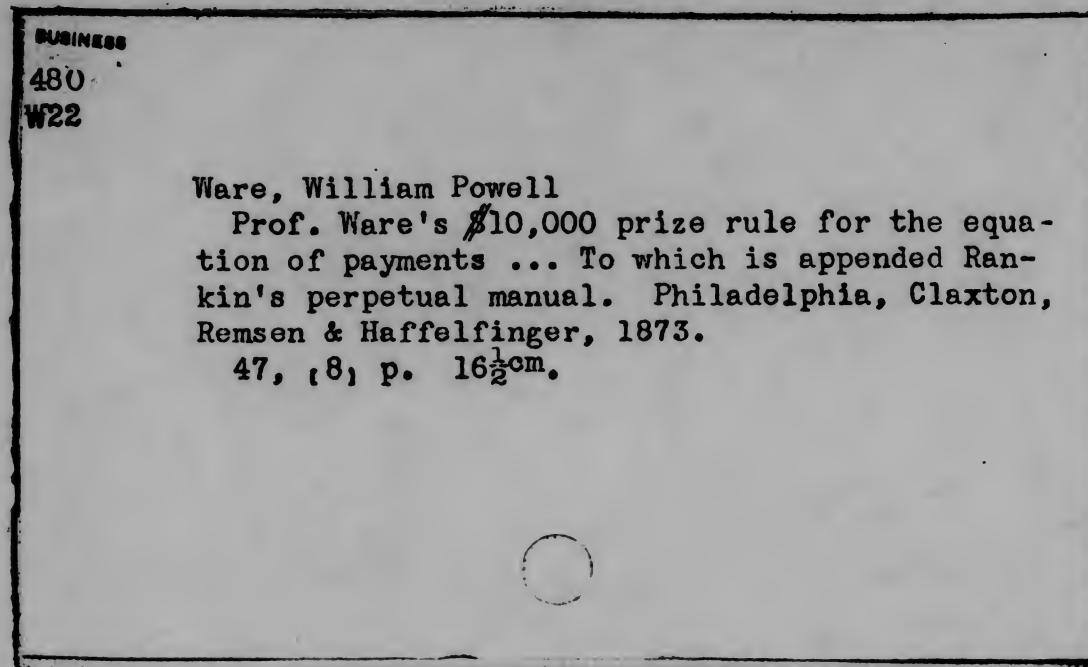
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FOR THE

*Equation of Payments.*

*Two-thirds of the time and labor saved—requiring only  
one division in debit and credit accounts.*

TO WHICH IS APPENDED

RANKIN'S PERPETUAL ALMANAC.

—  
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## PREFACE.

---

THE author of this inestimable little book has spent several years as a teacher in schools in different States. He has found it a very difficult task (in all cases) to make pupils thoroughly understand and fully comprehend the rules in mathematics as they are generally laid down in the arithmetics of the past and present, and if understood at all by them, would be forgotten almost before leaving school, or at least a very short time after. He also spent several years as book-keeper, in which vocation he experienced the great need of short, simple, and comprehensive rules by which time and labor could be saved in all cases, and especially in that most important in the whole routine of commercial transactions—viz.: “Equation of Payments.” The idea occurred to him that improvements might be made in mathematics as well as in mechanics. He resolved to *try*, and after long and ardent study, succeeded in devising and bringing to light a plan so simple that the *ordinary* mind can fully comprehend and understand. After perfecting his system or rule, he sought to impart the same to book-keepers and business men. He succeeded in giving over 2,000 private lessons, each of 15 to 25 minutes, and in all cases gave perfect sat-

isfaction, after which he offered a premium of \$10,000 for a better system than his own; failing to get any better, he then put his system in book form, which is now being rapidly sold at \$3 per copy in commercial circles. He has from nearly twenty-five years experience among business men and book-keepers, observed the difficulty they have in recollecting the ordinary rules, and if remembered, a vast amount of time and labor has been lost by using them; he has also seen the many efforts made to devise shorter and simpler methods, and the disposition to ignore the rules as taught in the arithmetics of the day. Believing the time and money spent in the schools of the present day in that particular branch to be a useless expenditure, and knowing from experience that *simple* things learned in school can be easily remembered in after life, he has, at the suggestion of friends, consented to put his system in a cheap form, that can be introduced into all the public and other schools throughout the whole country, that the rising generation may save a great amount of hard study, waste of time, labor, and money, and learn something that will prepare them for the vicissitudes of business, and can be remembered all their after life at a mere nominal expense. If such be the case, then his mission will have been fulfilled in which he has long sought to be a benefactor to the whole community.

W. POWELL WARE.

## GENERAL RULES

or

## EQUATION.

---

Start at the first of the month in which the first transaction takes place, instead of the date of the first bill. Call the first month 0, then number the following months in their regular order, setting the number in the margin, or elsewhere.

Each bill then shows at sight the time for which the interest must be obtained.

NOTE.—Compute interest at 1 per cent. per month. Any amount of dollars shows its own interest (in cents) for one month. Point off the right hand figure, and the interest is shown (in cents) for one-tenth of a month (or 3 days).

## RULE.

Multiply the *whole* amount of dollars by the number of months required. Multiply *one-tenth* of the dollars by *one-third* the number of days required,\* setting the products under each other until all the interest is obtained; add up the interest, annex two ciphers to the right, and divide by the footing of the bills (in dollars only); the answer will be in months and hundredths of months. Multiply the hundredths by 30 to bring it into days.

N. B.—Add the month in the margin to those in the face of the bills in all cases of unequal time.

\*NOTE.—One-third of any number of days shows how many tenths are contained therein.

## EXAMPLE.

24 days contain 8 tenths, 25 days  $8\frac{1}{3}$  tenths, 26 days  $8\frac{2}{3}$  tenths, 27 days 9 tenths, &c.

DEBIT AND CREDIT ACCOUNTS  
OF ALL CLASSES.

(*To find when the balance is due,*)

## RULE.

Arrange the time, commencing at the first of the month on which the *first* transaction took place, whether debit or credit. Then compute the interest on both sides of the account for the time called for in each bill; subtract the smaller amount of interest from the larger, annex two ciphers to the right of the difference in interest (read so many cents), and divide by the *balance* of the account. As many months and days as are obtained in the quotient, or answer, so long will the balance be falling due, from the cipher or starting point.

## EXAMPLE.

## Dr.

1871.	0, July 27, Mds. 4 mos.....	1850	{	54.00
				12.15
	4, Nov. 12, " 6 " .....	2531	{	253.10
				10.12
1872.	6, Jan. 18, " 5 " .....	1940	{	213.40
				11.64
	9 Apr. 21, Cash.....	1170	{	105.00
				8.19
			—	
				\$6991 \$667.90

## Cr.

1871.	1, Aug. 9, Cash.....	750	{	7.50
				2.25
	3, Oct. 5.*Dft. 90 days .....	961	{	57.66
				1.60
1872.	9, Apr. 6, Cash.....	850	{	76.50
				1.70
	13, Aug. 15, Note 60 days.....	500	{	75.00
				2.50
			—	
				\$3061 \$224.71
			—	
				\$3930

DR. Int..... 66.790  
CR. Int..... 22.471

Balance.... 3930) 44319.00(11.27  
                  30

                  8.10  
                  11m. 8d from July 1st.

Balance due June 8, 1872.

\* 5 days  $1\frac{2}{3}$  tenths, or  $\frac{1}{6}$  of 961.

Commence July 0. From July 1st to November 1st, is 4 months; to January, 6 months; to April, 9 months. From July to August, 1 month; to October, 3 months; to April, 9 months; to August next year, 13 months.

Read the bills:—1st, you want the interest for 4 months and 27 days; 2d, 10 months and 12 days; 3d, 11 months and 18 days; 4th, 9 and 21 days; 5th, 1 month and 9 days; 6th, 6 months and 5 days; 7th, 9 months and 6 days; 8th, 15 months and 15 days.

Now obtain the interest:—

1 month, at 1 per cent. per month, is \$13.50; 4 months is four times as much, \$54.00; one-tenth of a month is one-tenth of \$13.50, which is \$1.35; 27 days being nine-tenths, is nine times \$1.35, which is \$12.15; 10 months is ten times \$25.31, which is \$253.10; 12 days is four times \$2.53=\$10.12; and so on through the whole account.

Add up the interest of the Dr., then the Cr.; subtract the smaller from the larger amount, bringing down the difference, omitting the point between the dollars and cents; place a point to the right of whole amount, then add two ciphers to the right of the point, and di-

vide the difference of interest by the balance of the account. As often as the divisor is contained in the dividend, up to the point, so many months you get; add one cipher and divide, that will give you tenths of months; add the other cipher and divide, that will give you hundredths of months. Your answer will read 11 months and 27 hundredths of a month. Multiply the hundredths by 30, which will bring the time into days,  $27 \times 30 = 8$  days and ten one-hundredths, which is never counted unless fifty one-hundredths or upward. Thus the answer is 11 months and 8 days from July 1 (inclusive), 1871, balance due June 8, 1872.

N. B.—Now comes in the regular rate per cent. Any number of days that the balance is paid *before* the 8th of June, the interest is taken off at the legal rate. Any number of days *after* the 8th of June the interest is added at the legal rate.

## EXAMPLE.

Dr.		
1872. 0, Jan. 9, Mds. 6 mos.....	181.75*	{ 10.92
		{ .54
0, " 21, " " " .....	250.25	{ 15.00
		{ 1.75
2, Mar. 1, " " " .....	380.50	{ 30.48
		{ .18
2, " 24, " " " .....	150.10	{ 12.00
		{ 1.20
3, Apr. 22, " " " .....	300.00	{ 27.00
		{ 2.10
		{ .10
	<u>1262 60</u>	<u>101.22</u>

Cr.

1872. 1, Feb. 6, Cash.....	150	{ 1 50
		{ .30
2, Mar. 16, 30 days.....	200	{ 6.00
		{ 1.07
2, " 27, 60 " .....	200	{ 8.00
		{ 1.80
	<u>550</u>	<u>18.67</u>

Bal. \$712 60

Dr. Int..... 101.22  
Cr. Int..... 18.67713)8255.00(11.57  
30

17.10

11m. 17d. from Jan. 1st.

Balance due Dec. 17, 1872.

\* Bills containing Dollars and Cents, the cents are omitted if under fifty; and counted as one dollar if fifty or upward.

**BILLS BOUGHT ON UNEQUAL TIME,  
(without credit.)  
RULE.**

Compute the interest on each bill for the time called for in the several bills; add up the interest; annex two ciphers to the right of the whole amount, and divide by the footing of the bills, (the dollars only). The number of months and days obtained in the quotient, will show how long the amount will be in falling due from the 0, or starting point.

## EXAMPLE.

Dr.

1871.	0, May 6, Mds. 3 mos.	.....	\$931	{	27.93
	0, " 13, " 2 "	.....	860	{	1.86
	2, July 9, " 4 "	.....	432	{	17.20
	4, Sept. 1, " 5 "	.....	384	{	3.44
					.29
					25.92
					1.29
					34.56
					.13
1872.	8, Jan. 27, " Cash	.....	321	{	25.68
					2.88
					\$2028 141.12

2928)14118.00(4.82  
11712 30

24060 24.60  
23424

6360 4 mos. 25 d. from May 1.

Due Sept. 25, 1871.

Commence May 0—July, 2 months; September, 4 months; January, 8 months.

Read the bills—1st bill, 3 months, 6 days; 2d bill, 2 months, 13 days; 3d bill, 2 and 4 are 6 months, 9 days; 4th bill, 4 and 5 are 9 months, 1 day; 5th bill, 8 months, 27 days.

Compute the interest—3 months is 3 times  
\$9.31 = \$27.93; 6 days is twice 93c. = \$1.86; 2  
months is twice \$8.60 = \$17.20; 13 days is  $\frac{4}{3}$   
times 86c., &c., &c.

N. B.—Multiply the whole amount of dollars by the number of months; one-tenth the dollars by one-third the days.

## BILLS BOUGHT ON EQUAL TIME.

## RULE.

Compute the interest for the time that each bill calls for, up to the date of purchase. Add up the interest, annex two ciphers, and divide by the footing of the bills (the dollars only).

The months and days obtained in the quotient will show the average date of purchase, from the 0.

Add the time of credit (whatever it may be) to the average date, and that will show the date of maturity.

N. B.—The answer always comes in months and hundredths of months. Multiply the *hundredths* by 30, which will give the number of days.

## EXAMPLE.

## Dr.

1871.	0 Feb. 9, 6 mos.	.....	\$430	{ 1.29
				7.68
2	Apr. 13, " "	.....	384	{ 1.52
				.13
5	July 6, " "	.....	230	{ 11.50
				.46
5	July 21, " "	.....	381	{ 19.05
				2.66
7	Sept. 2, " "	.....	431	{ 30.17
				.28
				—
			\$1856	74.74

1856)7474.00(4.02  
30

— .60 4m. 1d. from Feb. 1st.

Average date, June 1st—due 6 mos.

Read—1st bill, 9 days; 2d bill, 2 months, 13 days; 3d bill, 5 months, 6 days; 4th bill, 5 months, 21 days; 5th bill, 7 months, 2 days.

Compute the interest—9 days is 3 times 43c.; 2 months is twice \$3.84; 13 days is  $4\frac{1}{2}$  times 38c.; 5 months is 5 times \$2.30; 6 days is twice 23c.; 5 months is 5 times \$3.81; 21 days is 7 times 38c.; 7 months is 7 times \$4.31; 2 days is  $\frac{2}{3}$  of 43.

## MONTHLY STATEMENTS.

## RULE:

Compute the interest on each bill for the number of days that each bill calls for.

Add up the interest, annex two ciphers, and divide by the footing of the bills.

N. B.—In a monthly statement the answer will always be in hundredths of months.

## EXAMPLE.

1871.	Jan. 9,	187	{	.54
	" 10,	681	{	2.04
	" 11,	231	{	.23
	" 12,	438	{	.69
	" 18,	217	{	.15
	" 22,	311	{	1.75
	" 24,	221	{	1.30
	" 27,	407	{	.17
	" 30,	386	{	.10
	" 31,	999	{	3.86
				9.99
				.33
				28.57
	4078)	2857.00	(.	.70
				30
				21.00 21 days.

Due January 21.

Compute the interest for 9 days, 10 days, 11 days, &c. 9 days is 3 times 18c.; 10 days is  $3\frac{1}{2}$  times 68c.; 11 days is  $3\frac{2}{3}$  times 23c.; 12 days is 4 times 43c., &c.

Balance Falling Due Prior to the First Transaction.

## EXAMPLE.

N. B.—Work as before.

		Dr.
1870.	0, July 4, Mds.	\$3750 { 3.75
	" 21,	2000 { 1.25
	" 27,	1850 { 14.00
	2, Sept. 3,	1220 { 16.65
		24.40
		1.22
	3, Oct. 16,	900 { 27.00
		4.50
		.30
		\$9720 93.07

		Cr.
1870.	4, Nov. 24, Cash,	\$500 { 20.00
	5, Dec. 1, Dft. 30 days,	850 { 4.00
1871.	8, Mar. 6, Cash,	600 { 51.00
	10, May 1, Note 90 days,	800 { .28
		48 00
		1.20
		104.00
		.27
		\$2750 228.75

Bal. .... \$6970  
228.75—greater interest.  
93.07—smaller interest.

1970)13568.00(1.94

6970 30

65980 28.20—1 m. 28d. back of July 1.

62730

32500 Balance due May 2d, 1870.

If the interest of the smaller side of the account exceeds that of the larger side, the time counts *back* from the starting point. In the above example, the smaller exceeds the greater by \$135.68, throwing the balance, 1 month and 28 days, back of July 1st.

N. B.—The interest must be paid from May 2d up to the day of settlement, at the legal rate.

#### COMPUTATION OF INTEREST.

(For 360 days per annum.)

##### RULE.

First obtain the interest at 12 per cent. per annum for the required time; then divide the product by 12, which will give the interest at 1 per cent. per annum. Multiply this quotient by the rate per cent. required. The result will be the answer in cents.

##### EXAMPLE.

What is the interest on \$1850 for 7 months and 27 days, at 9 per cent. per annum.

##### SOLUTION.

\$1850 7 mos., 27 days, at 9 per cent.

$$\begin{array}{r}
 12950 \\
 1665 \\
 \hline
 12)146.15 \\
 \hline
 12.18 \\
 \hline
 9
 \end{array}$$

\$109.62—Ans.

One month is \$18.50; 7 months is 7 times as much; one-tenth is \$1.85; 27 days (being nine-tenths) is nine times as much.

Add up and divide the product by 12, which is \$12.18, at 1 per cent. per annum; 9 per cent. is 9 times \$12.18; 8 per cent. would be 8 times \$12.18; 5 per cent., 5 times, &c., &c.

#### COMPUTATION OF INTEREST.

(For 365 days per annum.)

##### RULE.

Multiply the principal by the number of days; then add one one-tenth of the product to itself; then add one-half of the one-tenth; add up the whole amount. If 7 per cent. is required, divide the product by 6. If 6 per cent. is required, divide by 7.

 Point one for mills.

## EXAMPLE.

What is the interest on \$875 for 120 days, at 7 per cent. per annum (of 365 days)?

## SOLUTION.

\$875 120 days at 7 per cent.

$$\begin{array}{r}
 105000 \\
 10500-1 \text{ tenth.} \\
 5250-\frac{1}{2} \text{ of 1 tenth.} \\
 \hline
 6)120750 \\
 \hline
 \$20.12.5-\text{Ans.}
 \end{array}$$

FOR COMPUTING INTEREST  
BY CANCELLATION.

## EXAMPLE.

What is the interest on \$180 for 2 years, 7 months, and 18 days, at 8 per cent. per annum.

## SOLUTION.

$$\begin{array}{r}
 3 | 1\$0 \text{ Principal, 60} \\
 \quad | 316 \text{ time.} \\
 \quad | 120 \\
 4 | 8 \text{ per cent.} \quad 2
 \end{array}$$

Ans.—\$37.92.0

1st.—Draw a perpendicular line, place the principal on the right, bring the years and months, to months, take  $\frac{1}{3}$  of the days and place to the right of the months, setting the time under the principal, and the rate per cent. (whatever it may be) under the time; on the left (in all cases) place 3 and 4.\*

2d.—Divide with the numbers on the left, through *any* number on the right which they will divide without a remainder, cancelling each number as you use them; then multiply all the uncanceled numbers together on the right, and divide (if any) by those on the left. The answer will come in mills, if days be in the time; if no days, in cents.

3d.—If there be one over in taking the  $\frac{1}{3}$  of the days, place a 3 to the right of a decimal point; thus 2 years, 7 months, 19 days, equal 316.3; if two, place a 6; thus 1 year, 5 months, 20 days, equal 176.6—working as a whole number until done. Cut off in your answer one figure for each figure to the right of a decimal point or points.

4th.—For days only, place the principal, whole number of days, and the rate per cent. on the right, placing 3, 3 and 4 on the left, working by rule 2d; the answer will be in mills.

\* The 3 and 4 stand for the 12 months in the year.

† The 3, 3 and 4 stand for 360 days in the year.

## EXAMPLE FOR DAYS.

What is the interest on \$720 for 36 days at 9 per cent. per annum.

$$\begin{array}{r} \$ | 720 \\ \$ | \$6 \\ 4 | 9 \end{array}$$

Ans.—\$6.480.

If the numbers will not divide, multiply all the right hand side together, and divide by the left multiplied together, the quotient will be the answer.

If fractional rates per cent. occur, bring it to an improper fraction, placing the numerator on the right, the denominator on the left, working as before.

## SHORT METHOD TO CALCULATE INTEREST.

## RULE.

Multiply the principal by half the number of days; that product divided by 30 will give the answer in cents.

## EXAMPLE.

What is the interest on \$165 for 16 days at 6 per cent.?

$$\begin{array}{r} 165 \text{ dollars.} \\ 8 \text{ half the number of days.} \\ 3.0)132.0 \\ \hline .44 \text{ cents.} \end{array}$$

## Divisors for Different Rates Per Cent.

Any amount multiplied by the time in days, as per example: \$200 for 19 days, and divide by 72, will give you the interest at 5 per cent. per annum.

Ans. \$52.7.

At 6 per cent., as above, divide by 60	
" 7 per cent., "	" " " 52
" 8 per cent., "	" " " 45
" 9 per cent., "	" " " 40
" 10 per cent., "	" " " 36
" 12 per cent., "	" " " 30
" 15 per cent., "	" " " 24
" 20 per cent., "	" " " 18
" 24 per cent., "	" " " 15
" 40 per cent., "	" " " 09

## COMPUTING PERCENTAGE.

To ascertain what is gained or lost by selling an ARTICLE for which a specified sum has been paid.

**RULE.**—Annex two ciphers to the SELLING PRICE, divide by the COST. The difference between the quotient and 100 will be the gain or loss per cent.

**EXAMPLE.**—Paid 5 dollars for a book, and sold it for 8 dollars. What per cent. did I gain?

**OPERATION**—  $5)800$

$1.60$  *Ans.—60 per cent.*

**EXAMPLE.**—Paid 10 dollars for a hat, and sold it for 8 dollars. What per cent. did I lose?

**OPERATION**—  $10)800$

$80$

*Ans.—100 less 80=20 per cent.*

To ascertain what an article should be sold for, which cost a specified sum, so as to gain a proposed per cent.

**RULE.**—Multiply the cost by 100, with the per cent. added; cut off two figures to the right. The figures at the left will show the PRICE for which the article must be sold.

**EXAMPLE.**—Paid 30 cents per yard for CLOTH; for how much must I sell it so as to realize 20 per cent. profit?

**OPERATION**—  $30$ —cost.  
 $120$ —100 per cent added.

$36.00$  *I must sell it for 36 cents.*

## MULTIPLICATION.

### EXAMPLES.

In multiplying, it is easier to multiply by 2, 3, 4, and 5, than by 7, 8, or 9, &c.

I shall now present examples in Multiplication.

1. Multiply 428 by 15.

$$\begin{array}{r} 428 \times 15 \\ 2140 \end{array}$$

I place the 15 at the right of 428, and use the sign of Multiplication; but this is not necessary, from the fact that it may be placed anywhere or not written at all; this of course is left to the choice of the operator.

I first multiply by 5, placing the first product figure one place to the right; 5 times 8 is 40; then 5 times 2 equal 10, and the 4 that I carried=14, write the 4 under the 8; thus proceed; then add the two products for the answer.

2. Multiply 8844 by 14.

$$\begin{array}{r} 8844 \times 14 \\ 35376 \\ \hline 123816 \end{array}$$

3. Multiply 64827 by 36.

$$\begin{array}{r} 64827 \times 36 \\ \hline 194481 \\ 388962 \\ \hline 2333772 \end{array}$$

§ Commence with 3, then multiply that product by 2, placing the first product figure in the place of units.

4. Multiply 87234 by 39.

$$\begin{array}{r} 87234 \times 39 \\ \hline 261702 \\ 785106 \\ \hline 3402126 \end{array}$$



### THE DIAMOND OR CHAIN RULE.

1<sup>st</sup>. Draw a perpendicular line.

2<sup>d</sup>. Arrange the numbers on opposite sides of the line, as directed.

3<sup>d</sup>. Then cancel on opposite sides of this line all equal figures and numbers.

4<sup>th</sup>. If there are ciphers on both sides of the line, cancel the same number on each side.

5<sup>th</sup>. If any number on one side will divide any number on the opposite side, cancel both numbers, placing the quotient on the side of the larger number.

6<sup>th</sup>. If any two or more numbers multiplied together equal one or more numbers on the opposite side, cancel all those numbers.

7<sup>th</sup>. If any number greater than unity will divide two numbers, one on each side, without a remainder, cancel both numbers, placing the quotients on the right and left of the numbers divided.

8th. Then multiply the figures that remain on the right hand for a dividend, and those on the left for a divisor.

9th. Then divide the product of those on the right by the product of those on the left; the quotient arising from this division will be the answer.

#### REMARKS.

Should the divisor exceed the dividend, the answer will be a fraction.

If the numbers will not cancel, then multiply those together that are on the right for a dividend, and those on the left for a divisor. Then divide, and the quotient arising from this division, gives the answer.

This rule may be considered as a pair of scales when exactly counterpoised; for we may add or subtract, multiply or divide—in fact, may do any thing to one side, so long as we do the same to the other side; for our object will be, not to destroy the balance or equilibrium.

In this rule, also, the same principle acts as in the scales; for we take those things, the value of which we know, to ascertain the value of those which we do not know.

#### MULTIPLICATION OF FRACTIONS.

Place the numerators, both of the multipliers and multiplicand, on the right, and the denominators of both on the left of the line, then proceed to cancel all figures of equal value on the right and left; those uncanceled show the answer.

EXAMPLES.—1. Multiply  $\frac{1}{2}$  by  $\frac{3}{4}$  of  $\frac{2}{3}$  of  $\frac{4}{5}$  of  $\frac{5}{6}$  of  $\frac{6}{7}$  of  $\frac{7}{8}$  of  $\frac{8}{9}$  and show the answer.

2	1
4	3
3	2
5	4
6	5
7	6
9	8
8	7

Ans.  $\frac{1}{3}$

2. Multiply  $\frac{1}{2}$  by  $\frac{2}{3}$  of  $\frac{3}{4}$  of  $\frac{5}{6}$  of  $\frac{6}{10}$ . A.  $\frac{1}{8}$ .
3. Multiply  $\frac{1}{3}$  of  $\frac{3}{4}$  of  $\frac{5}{6}$  by  $\frac{6}{10}$  of  $\frac{6}{18}$ . A.  $\frac{1}{16}$ .
4. Multiply  $\frac{1}{4}$  of  $\frac{3}{4}$  of  $\frac{5}{6}$  by  $\frac{6}{10}$  of  $\frac{10}{12}$ . A.  $\frac{1}{16}$ .
5. Multiply  $\frac{2}{3}$  of  $\frac{3}{4}$  by  $\frac{4}{9}$ . A.  $\frac{2}{9}$ .
6. Multiply  $\frac{6}{8}$  of  $\frac{4}{12}$  by  $\frac{7}{10}$  of  $\frac{5}{14}$ . A.  $\frac{1}{16}$ .
7. Multiply  $\frac{7}{8}$  of  $\frac{3}{14}$  of  $\frac{8}{21}$  by  $\frac{14}{15}$  of  $\frac{7}{6}$  of  $\frac{5}{7}$ . A.  $\frac{1}{18}$ .
8. Multiply  $\frac{1}{3}$  of  $\frac{2}{6}$  of  $\frac{3}{4}$  of  $\frac{6}{8}$  by  $\frac{1}{2}$  of  $\frac{4}{12}$ . A.  $\frac{1}{96}$ .
9. Multiply  $\frac{1}{2}$  of  $\frac{3}{4}$  of  $\frac{2}{5}$  of  $\frac{4}{7}$  by  $\frac{6}{7}$  of  $\frac{5}{9}$ . A.  $\frac{1}{28}$ .
10. Multiply  $\frac{3}{5}$  of  $\frac{3}{4}$  of  $\frac{4}{5}$  by  $\frac{10}{12}$  of  $\frac{6}{15}$ . A.  $\frac{1}{15}$ .
11. Multiply  $\frac{1}{3}$  of  $\frac{7}{8}$  of  $\frac{9}{10}$  of  $\frac{5}{7}$  of  $\frac{7}{9}$  by  $\frac{2}{3}$ . A.  $\frac{1}{9}$ .
12. Multiply  $\frac{1}{2}$  of  $\frac{2}{4}$  by  $\frac{6}{8}$  of  $\frac{4}{12}$  of  $\frac{8}{9}$ . A.  $\frac{1}{18}$ .

## DIVISION OF FRACTIONS.

Place the numerators of the divisor on the left, and the denominators on the right, but place the dividend as in multiplication. If whole numbers are joined to a fraction, reduce as in multiplication.

## PROBLEMS.

1. Divide  $\frac{1}{5}$  of  $\frac{5}{8}$  of  $\frac{4}{7}$  by  $\frac{7}{8}$  of  $\frac{8}{12}$  of  $\frac{6}{7}$ .

$$\begin{array}{r} \frac{5}{8} \bigg| \frac{1}{5} \\ \frac{5}{8} \quad \frac{5}{8} \\ \frac{7}{8} \quad \frac{4}{7} \\ \frac{7}{8} \quad \frac{8}{12} \\ \frac{8}{8} \quad \frac{12}{12} \\ \hline \frac{6}{6} \quad \frac{7}{7} \end{array}$$

$\frac{1}{7}$  Ans.

2. Divide  $\frac{1}{4}$  by  $\frac{1}{2}$ . A.  $\frac{1}{2}$ .  
 3. Divide  $\frac{1}{2}$  by  $\frac{1}{4}$ . A. 2.  
 4. Divide  $\frac{3}{6}$  by  $\frac{1}{3}$ . A.  $1\frac{1}{2}$ .  
 5. Divide  $\frac{1}{3}$  by  $\frac{3}{6}$ . A.  $\frac{2}{3}$ .  
 6. Divide  $\frac{4}{8}$  by  $\frac{2}{3}$ . A.  $\frac{3}{4}$ .  
 7. Divide  $\frac{4}{6}$  by  $\frac{4}{3}$ . A.  $1\frac{1}{3}$ .  
 8. Divide  $\frac{4}{8}$  of  $\frac{6}{4}$  by  $\frac{4}{6}$  of  $\frac{3}{4}$ . A.  $1\frac{1}{2}$ .  
 9. Divide  $\frac{5}{6}$  of  $\frac{6}{8}$  of  $\frac{2}{5}$  by  $\frac{2}{3}$  of  $\frac{3}{3\frac{1}{2}}$ . A.  $\frac{4}{9}$ .  
 10. Divide  $\frac{1}{4}$  of  $\frac{1}{2}$  by  $\frac{1}{8}$ . A. 1.  
 11. Divide  $\frac{1}{8}$  of  $\frac{1}{2}$  by  $\frac{1}{4}$ . A.  $\frac{1}{4}$ .  
 12. Divide  $\frac{1}{2}$  of  $\frac{1}{8}$  by  $\frac{1}{4}$  of  $\frac{1}{4}$ . A. 1.

13. Divide  $\frac{5}{6}$  of  $\frac{4}{5}$  by  $\frac{2}{9}$  of 5. A.  $\frac{3}{5}$ .  
 14. Divide  $\frac{1}{2}$  of  $\frac{1}{4}$  by  $\frac{4}{5}$  of 10. A.  $\frac{1}{64}$ .  
 15. Divide  $\frac{4}{5}$  of  $\frac{1}{4}$  by  $\frac{4}{8}$  of 12. A.  $\frac{1}{30}$ .  
 16. Divide  $\frac{1}{2}$  of 2 by  $\frac{1}{4}$  of 4. A. 1.  
 17. Divide  $\frac{1}{4}$  of 4 by  $\frac{1}{8}$  of 8. A. 1.  
 18. Divide  $1\frac{1}{2}$  by 4. A.  $\frac{3}{8}$ .  
 19. Divide  $2\frac{1}{2}$  by  $\frac{1}{2}$  of 5. A. 1.  
 20. Divide  $\frac{1}{3}$  of 6 by  $2\frac{2}{3}$  of 3. A.  $\frac{1}{4}$ .

## SAFE GUIDE IN ADDITION.

## RULE.

In addition put down the whole amount until done. The left hand figure shows the amount to be carried to the next column, the right shows the answer.

## EXAMPLE.

13467	34	1st column.
46329	23	2d "
72548	28	3d "
9302	25	4th "
57831	4	last "
46357	2	" "

245834 Ans.

N. B.—In the last addition put the figure in the right hand column.

## CONVERSION OF STERLING MONEY.

## RULE.

Place a cipher to the right of the pence, divide by 12; add the shillings, divide by 20; then add the pounds. Multiply the whole by 40, and divide the product by 9. Point off in the answer one figure for each decimal.

## EXAMPLE.

How many dollars are there in £50 7s. 6d?

$$\begin{array}{r}
 12)60 \\
 \underline{2,0)7,5} \\
 \underline{50} \quad 375 \\
 \quad \quad \quad 40 \\
 \hline
 9)2015000 \\
 \quad \quad \quad \underline{8} \\
 \quad \quad \quad \$223.88.8 \text{ par value.}
 \end{array}$$

## SOLUTION.

Multiply by 40, because in £1 there are 40 sixpences; divide by 9, because \$1 is equivalent to 4s. 6d. at par. In 4s. 6d. there are 9 sixpences.

## BARTER.

Place the given quantity of the commodity and the price at which it is valued, on the right of the line. Place on the left the constituents of the commodity whose value is required.

## EXAMPLES.

1. How much cloth at 22 cents per yard, must be given in exchange for 4400 lbs. of cotton, at  $3\frac{1}{2}$  cents per pound?

$$\begin{array}{r|l}
 22 & 4400 \\
 2 & 7 \\
 \hline
 700 & \text{Ans. 700 yds.}
 \end{array}$$

2. How much tea, at 64 cents per pound, must be given for 448 pounds of coffee, at 20 cents per pound? Ans. 140 lbs.

3. How much wheat at \$1.25 cents per bushel, must be given for fifty bushels of rye, at 70 cents per bushel? Ans. 28 bush.

4. How many bushels of rye worth 70 cents per bushel, must I give for 28 bushels of wheat, the wheat valued at \$1.25 per bushel?

Ans. 50 bush.

5. How many pounds of coffee can I have in exchange for 28 lbs. of butter, valued at 21 cents per lb.; the value of the coffee is 12 cts. per lb?  
Ans. 49.

6. How many sheep at \$4 per head, must I give for 6 cows, at \$12 a piece? Ans. 18.

7. Sold 28 bushels of wheat at 75 cents per bushel; how many barrels of salt can I have in exchange at \$2 per barrel? Ans.  $10\frac{1}{2}$ .

8. How much coffee at 20 cents per pound, must I give for 120 yards of cloth, at 64 cents per yard? Ans. 384.

9. How many bushels of wheat will pay for 40 barrels of pork at \$8 per barrel, when wheat is worth 80 cts. per bushel? Ans. 400 bush.

### DISCOUNT.

*Discount is an allowance made for prompt payment.*

#### DISCOUNT WITHOUT TIME.

Place the sum on which the discount is to be made, and the rate per cent. on the right, and one hundred on the left.

EXAMPLE.—What is the discount on \$400, at 6 per cent. .... Ans. \$24.

### WOOD MEASURE, &c.

#### RULE.

Place the length, height, and width, on the right; on the left place the dimensions of one cord.

#### EXAMPLE.

How many cords of wood in a pile 120 feet long, 12 feet high, and 4 feet wide?

\$	120	15
4	12	3
4	4	—

Ans. 45 Cords.

#### SOLUTION.

4 equals 4; 4 into 12 three times; 8 into 120, 15 times; 3 times 15 is 45 cords.

How many cords of wood in a pile 32 feet long, 12 high, and 4 wide?

\$	32	4
4	12	3
4	4	—

Ans. 12 Cords.

How many yards of carpeting will it take to carpet a hall 18 by 20 feet?

\$	18	2
20	20	—

Ans. 40 Yards.

NOTE.—Divide by 9, because 9 square feet make 1 square yard.

If  $\frac{1}{3}$  of 6 be 3, what will the  $\frac{1}{4}$  of 20 be?

1	3
6	3
4	1
	20

Ans.  $7\frac{1}{2}$ .

How many bricks in a wall 40 feet long, 12 feet high, and  $1\frac{1}{2}$  feet thick? Size of brick, 8 by 4 by 2 inches.

8	40
4	12
3	4
2	1728 in. = 1 cubic ft.

Answer 17,280 bricks.

How many feet board measure in the floor joists of a building 18 by 40 feet, joists 3 by 8 inches, placed 16 inches apart from the centre of each?

40	
18	
16	3
	8

Answer 1080 feet.

How many dollars will it cost to carpet a hall 24 by 15, carpet one yard wide, at 11 shillings per yard?

9	24
8	15
	11

Answer \$55

### NAMES OF COINS.

#### BRAZIL.

	D C M
Johannes, (half in proportion) .....	17 06 8
Dobraon .....	32 71 4
Dobra.....	17 30 5
Moidore, (half in proportion) .....	6 56
Crusado.....	63 8

#### ENGLAND.

Guinea, half in proportion.....	5 11 6
Sovereign, do .....	4 85
Seven Shilling Piece.....	1 70 6

#### FRANCE.

Double Louis, coined bef. 1786.....	9 69 3
Louis, coined before 1786.....	4 84 4
Double Louis, coined since 1786.....	9 16 3
Louis, coined since 1786.....	4 58 1
Double Napoleon, or forty francs.....	7 71 3
Napoleon, or twenty francs.....	3 86 6

#### COLUMBIA.

Doubloons.....	15 53 8
----------------	---------

#### MEXICO.

Doubloons, shares in proportion.....	15 53 8
--------------------------------------	---------

#### PORTUGAL.

Dobraon .....	32 71 4
Dobra.....	17 35 6
Johannes.....	17 06 8
Moidore, half in proportion.....	6 56
Piece of 16 testoons, or 1600 rees.....	2 12 5
Old Crusado of 400 rees.....	58 6
New Crusado of 480 rees.....	63 7
Millree, coined in 1755.....	78

## SPAIN.

D C M

Quadruple pistol, or Doubloon, 1772, double and single, and shares in proportion.....	16	03	3
Doubloon, 1801.....	15	53	8
Pistole, 1801.....	3	88	8
Coronilla, gold doll., or vintem, 1801.....	98	2	

## U. S. AMERICA.

Eagle, coined before July 31, 1834.....	10	66	8
Eagle, coined after July 31, 1834.....	10	..	
Shares in proportion.			

## VALUE OF FOREIGN MONEY.

## CANADA, NOVA SCOTIA, &amp;c.

A Farthing.....	4	1	
4 Farthings = a penny.....	1	6 $\frac{1}{2}$	
12 Pence a shilling.....	20	..	
60 Pence a dollar.....	1	..	
20 Shillings a pound.....	4	..	
30 Shillings a moidore.....	6	..	
40 Shillings a half Joe.....	8	..	
50 Shillings a Fed. Eagle.....	10	..	

## NORTHERN PARTS

## ENGLAND &amp; SCOTLAND.

LONDON, LIVERPOOL, BRISTOL, EDINBURGH, GLASGOW, &amp;c.

	D	C	M
A Farthing.....	..	..	4.6
2 Farthings = a half-penny.....	..	..	9 $\frac{1}{2}$
2 Half-pence a penny.....	..	1	8 $\frac{1}{2}$
4 Pence a groat.....	..	7	4
6 Pence a half shilling.....	..	11	1.1
12 Pence a shilling.....	..	22	2.2
54 Pence an Ame. dol.....	1	..	..
5 Shillings a crown.....	1	11	1.1
20 Shillings a pound ster.....	4	44	4.4
21 Shillings an English guinea....	4	66	6.7

## BREMEN.

3 Grotes = a double shilling.	..	3	2
24 Grotes a mark.....	..	25	5 $\frac{1}{2}$
48 Grotes a double mark....	..	51	1
72 Grotes or 3 marks a rix dollar.....	..	76	6 $\frac{1}{2}$

Accounts are kept in Rix-dollars and Grotes.

## HANOVER,

LUNENBURG, ZELL, &amp;c.

A Pfenning.....	..	..	2.7
3 Pfennings = a dreyer.....	..	8	.2
8 Pfennings a marien.....	..	2	1.9
12 Pfennings a grosh.....	..	3	2.8
8 Groshen a half guilden.....	..	26	2 $\frac{1}{2}$
16 Groshen a guilden.....	..	52	5
24 Groshen a rix dollar.....	..	78	7 $\frac{1}{2}$
32 Groshen a double guilden ..	1	5	..
34 Groshen a ducat.....	1	10	..

Accounts are kept in Rix-dollars, Groshens, and Pfennings.

## EUROPE.

## SOUTHERN PARTS.

## PORTUGAL.

		D	C	M
A Rhea.			1	4
10 Reas	= a half vintin.	1	1	2
20 Reas	a vintin.	2	5	
5 Vintins	a testoon.	12	5	
4 Testoons	a crusad of exchange.	50	..	
24 Vintins	a new crusado.	60	..	
10 Testoons	a milrea.	1	25	..
48 Testoons	a moïdore.	6	..	
64 Testoons	a Johannes.	8	..	

Accounts are kept in Millreas and Reas.

## FRANCE AND NAVARRE.

## PARIS, LYONS, MARSEILLES, BORDEAUX, BAYONNE, &amp;c.

A Denier		0	4	
3 Deniers	= a liard.	2	3	
2 Liards	a dardene.	4	6	
12 Deniers	a sol.	9	4	
20 Sols	a livre tournois.	18	5	
60 Sols	an ecu of exchange.	55	5	
6 Livres	an ecu or crown.	1	11	1.1
10 Livres	a pistole.	1	85	..
24 Livres	a Louis d'or.	4	44	4.4

Accounts are kept in Livres, Sous, and Deniers.

## SPAIN.

32 Reals	= a pistole of exchange.	3	18	5
36 Reals	a pistole.	3	72	2

Accounts are kept in Dollars, Reals, & Maravedis.

## EQUATION OF PAYMENTS.

## SPAIN—Continued.

## GIBRALTAR, MALAGA, DENIA, &amp;c.

		Velon.	D	C	M
A Maravedi				1	6
2 Maravedis	= an ochavo.			3	2
4 Maravedis	a quartil.			6	4
34 Maravedis	a real velon.		5	3	2
15 Reals	a piastre of ex.		79	6	3
512 Maravedis	a pistole.		77	6	3
60 Reals	a pistole of ex.		3	18	5
2043 Maravedis	a pistole of ex.		3	18	5
70 Reals	a pistole.		3	72	2

Accounts are kept in Dollars, Reals, & Maravedis.

## BARCELONA, SARAGOSSA, VALENCIA, &amp;c.

A Maravedi			..	3	9
16 Maravedis	= a soldo.		6	2	4
2 Soldos	a rial, old plate.		12	5	
16 Soldos	a dollar.		1	..	
20 Soldos	a libra.		1	25	..
24 Soldos	a ducat.		1	50	..
60 Soldos	a pistole.		3	60	..

There are also Ducats of 21 and 22 Soldos.

Accounts are kept in Dollars, Reals & Maravedis.

*Note.*—Although 60 Soldos are equal to 3 dollars and 75 cents, the Spanish Pistole is worth but 3 dollars and 60 cents.

## ITALY.

GENOA, NOVA, CORSICA, BASTEA, &amp;c.

		D	C	M
A Denari		..	6 $\frac{2}{3}$	
12 Denari	= a soldi	..	7.9	
4 Soldi	a chevalet	3	1.8	
20 Soldi	a lira	15	9.2	
30 Soldi	a testoon	23	8 $\frac{1}{2}$	
5 Lires	a croisade	79	6.3	
115 Soldis	a pezzo of ex	92	5.9	
6 Testoons	a genoine	1	44	4
20 Liers	a pistole	3	18	5

Accounts are kept in Liers, Soldis, and Denaris.

## CHINA.

PEKIN, CANTON, &amp;c.

A Cash	..	..	1.4	
10 Cash	= a candareen	1	4.8	
10 Candareens	a mace	14	8	
10 Mace, 1 oz. 6 dwt. 6 grs.	= a tale	1	48	..

Accounts are kept here in Tales, Mace, Candareens, and Cash.



## PROF. WARE'S CHALLENGE.

## From N. Y. Herald, Oct. 30, 1870.

\$10,000 has been deposited with Greenbaum Bros. & Co., Bankers, National Park Bank Building, by Prof. W. POWELL WARE, 21 West 124th Street, for the best Rule for Equation of Payments. To be decided by competent judges on December 1st, 1870.

## From N. Y. Standard, Nov. 4th, 1870.

A CHANCE FOR MATHEMATICIANS.—The problem of the Equation of Payments is receiving at present the attention of the best mathematicians, an announcement having been recently made by Prof. W. POWELL WARE, of 21 West 124th Street of this city, that he would pay \$10,000 for the best rule. The money has been deposited for the purpose with Messrs. Greenbaum Bros. & Co., Bankers, National Park Bank Building, to whom competitors may send their rules. On December 1st the successful competitor will receive payment for his rule.

## From N. Y. World, Nov. 13, 1870.

The mathematicians have become very enthusiastic in their race for the \$10,000 offered by Prof. WARE, of this city, for the best rule for the Equation of Payments. The plans already received come from almost every section of the country, and include some very good and some very preposterous solutions. All parties interested will meet at 12 o'clock, on December 1, 1870, at the Astor House, at which time the successful competitor will receive the reward for his labor.

## From N. Y. Times, Nov. 15, 1870.

EQUATION OF PAYMENTS.—Prof. WARE's offer of \$10,000 for the best rule for the equation of payments has drawn out a very exciting competition between the mathematicians all over the country. The rules already received by Prof. WARE and the Messrs. GREENBAUM BROTHERS, in whose hands the money is deposited, come from every section of the country, and include some marvelous mathematical efforts. The award for the best plan will be made December 1, 1870, at the Astor House, at which place all interested parties will assemble at 12 o'clock.

Numerous extracts from different sections of the country omitted for want of space.

## DECISION OF THE JUDGES.

[TRUE COPY.]

We, the undersigned committee selected to decide upon the different plans submitted in the contest for the best rule for the Equation of Payments, after mature and careful examination and test of plans offered by fifty-seven competitors (made conjointly and personally) do declare this to be our positive and final decisions, viz. :

That the Rule presented by Prof. W. POWELL WARE, of New York City, is the shortest, simplest, and best, possessing the greatest utility and general adaptation, not only of the plans now before us, but of any that has ever come to our knowledge, and which in our judgment is mathematically correct.

We therefore declare that Prof. W. POWELL WARE, of New York, is duly entitled to the award offered.

SIGNED:

Jos. C. Atwood, with Landers, Frary & Clark, 53 Chambers Street.

A. O. Field, with Jordan, Marsh & Co., 184 and 186 Church Street.

John G. Huhn, with Hoover, Calhoun & Co., 362 Broadway.

Edward F. Choate, with E. R. Dibble and Co., 53 and 55 Worth Street.

B. F. Blake, with Manning, Glover & Co., 109 and 111 Worth Street.

We fully concur in the above decision—

H. E. Phelps, book-keeper of H. B. Claflin & Co.,  
John P. Gaul, with Tefft, Griswold & Kellogg,  
443 and 445 Broadway.

Antho J. Kruger, with Duncan, Sherman & Co.,  
Bankers.

Wm. H. Clark, with Henry Clewes & Co., Bankers,  
32 Wall Street.

Matthew Bunker, of Benedict, Hall & Co., 134 and  
136 Grand Street.

Prof. W. POWELL WARE'S  
MAGIC SQUARE.

These columns (added) make 100, forty-two  
different ways.

1	3	7	9	6	2	8	4	1	3	7	9	6	2	8	4	1	3	7	9
3	9	1	7	2	4	6	8	3	9	1	7	2	4	6	8	3	9	1	7
7	1	9	3	8	6	4	2	7	1	9	3	8	6	4	2	7	1	9	3
9	7	3	1	4	8	2	6	9	7	3	1	4	8	2	6	9	7	3	1
6	2	8	4	1	3	7	9	6	2	8	4	1	3	7	9	6	2	8	4
2	4	6	8	3	9	1	7	2	4	6	8	3	9	1	7	2	4	6	8
8	6	4	2	7	1	9	3	8	6	4	2	7	1	9	3	8	6	4	2
4	8	2	6	9	7	3	1	4	8	2	6	9	7	3	1	4	8	2	6
1	3	7	9	6	2	8	4	1	3	7	9	6	2	8	4	1	3	7	9
3	9	1	7	2	4	6	8	3	9	1	7	2	4	6	8	3	9	1	7
7	1	9	3	8	6	4	2	7	1	9	3	8	6	4	2	7	1	9	3
9	7	3	1	4	8	2	6	9	7	3	1	4	8	2	6	9	7	3	1
6	2	8	4	1	3	7	9	6	2	8	4	1	3	7	9	6	2	8	4
2	4	6	8	3	9	1	7	2	4	6	8	3	9	1	7	2	4	6	8
8	6	4	2	7	1	9	3	8	6	4	2	7	1	9	3	8	6	4	2
4	8	2	6	9	7	3	1	4	8	2	6	9	7	3	1	4	8	2	6
1	3	7	9	6	2	8	4	1	3	7	9	6	2	8	4	1	3	7	9
3	9	1	7	2	4	6	8	3	9	1	7	2	4	6	8	3	9	1	7
7	1	9	3	8	6	4	2	7	1	9	3	8	6	4	2	7	1	9	3
9	7	3	1	4	8	2	6	9	7	3	1	4	8	2	6	9	7	3	1

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We, the undersigned committee selected to decide upon the different plans submitted in the contest for the best rule for the Equation of Payments, after mature and careful examination and test of plans offered by fifty-seven competitors (made conjointly and personally) do declare this to be our positive and final decisions, viz. :

That the Rule presented by Prof. W. POWELL WARE, of New York City, is the shortest, simplest, and best, possessing the greatest utility and general adaptation, not only of the plans now before us, but of any that has ever come to our knowledge, and which in our judgment is mathematically correct.

We therefore declare that Prof. W. POWELL WARE, of New York, is duly entitled to the award offered.

SIGNED:

Jos. C. Atwood, with Landers, Frary & Clark, 53 Chambers Street.

A. O. Field, with Jordan, Marsh & Co., 184 and 186 Church Street.

John G. Huhn, with Hoover, Calhoun & Co., 362 Broadway.

Edward F. Choate, with E. R. Dibble and Co., 53 and 55 Worth Street.

B. F. Blake, with Manning, Glover & Co., 109 and 111 Worth Street.

We fully concur in the above decision—

H. E. Phelps, book-keeper of H. B. Claffin & Co,  
John P. Gaul, with Tefft, Griswold & Kellogg,  
443 and 445 Broadway

Anthon J. Kruger, with Duncan, Sherman & Co.,  
Bankers.

Wm. H. Clark, with Henry Clewes & Co., Bankers,  
32 Wall Street.

Matthew Bunker, of Benedict, Hall & Co., 134 and  
136 Grand Street.

Prof. W. POWELL WARE'S  
MAGIC SQUARE.

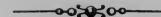
These columns (added) make 100, forty-two different ways.

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7	1	9	3	8	6	4	2	7	1	9	3	8	6	4	2	7	1	9	3
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9	7	3	1	4	8	2	6	9	7	3	1	4	8	2	6	9	7	3	1

RANKIN'S PERPETUAL ALMANAC,

BOOK FORM,

TWO MONTHS TO A PAGE.



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Mo.	Tu.	We.	Th.	Fr.	Sat.	S.	7	14	21	28
Tu.	We.	Th.	Fr.	Sat.	S.	Mo.	1	8	15	22
We.	Th.	Fr.	Sat.	S.	Mo.	Tu.	2	9	16	23
Th.	Fr.	Sat.	S.	Mo.	Tu.	We.	3	10	17	24
Fr.	Sat.	S.	Mo.	Tu.	We.	Th.	4	11	18	25
Sat.	S.	Mo.	Tu.	We.	Th.	Fr.	5	12	19	26
S.	Mo.	Tu.	We.	Th.	Fr.	Sat.	6	13	20	27
1771	1772		1773	1774	1775	1776				
		1777	1778	1779	1780		1781			
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1788		1789	1790	1791	1792					
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1799	1800	1801	1802	1803	1804					
1805	1806	1807	1808		1809	1810				
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1889	1890	1891	1892		1893	189				
1895	1896		1897	1898	1899	1900				
1901	1902	1903	1904		1905	1906				
1907	1908		1909	1910	1911	1912				
		1913	1914	1915	1916		1917			
1918	1919	1920		1921	1922	1923				
1924		1925	1926	1927	1928					
1929	1930	1931	1932		1933	1934				
1935	1936		1937	1938	1939	1940				
		1941	1942	1943	1944		1945			
1946	1947	1948		1949	1950	1951				
1952		1953	1954	1955	1956					
Mo.	Tu.	We.	Th.	Fr.	Sat.	S.	February.			
Tu.	We.	Th.	Fr.	Sat.	S.	Mo.	1	4	11	18
We.	Th.	Fr.	Sat.	S.	Mo.	Tu.	2	5	12	19
Th.	Fr.	Sat.	S.	Mo.	Tu.	We.	3	6	13	20
Fr.	Sat.	S.	Mo.	Tu.	We.	Th.	4	7	14	21
Sat.	S.	Mo.	Tu.	We.	Th.	Fr.	5	8	15	22
S.	Mo.	Tu.	We.	Th.	Fr.	Sat.	6	9	16	23
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The Year and Days of the Week for both Months are in the same column.

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March.

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April.

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The Year and Days of the Week for both Months are in the same column.

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May.

1771	1772	1773	1774	1775		
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1901	1902	1903		1904	1905	1906
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1912	1913	1914	1915		1916	1917
1918	1919		1920	1921	1922	1923
		1924	1925	1926	1927	
1929	1930	1931		1932	1933	1934
1935		1936	1937	1938	1939	
1940	1941	1942	1943		1944	1945
1946	1947		1948	1949	1950	1951
		1952	1953	1954	1955	
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June.			
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The Year and Days of the Week for both Months are in the same column.

1	8	15	22	29
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6	13	20	27	
7	14	21	28	

July.

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	7	14	21	28
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August.

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S.	Mo.	Tu.	We.	Th.	Fr.	Sat.

The Year and Days of the Week for both Months are in the same column.

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Tu.	We.	Th.	Fr.	Sat.	S.	Mo.
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S.	Mo.	Tu.	We.	Th.	Fr.	Sat.

September.

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4	5	12	19	26	
5	6	13	20	27	
6	7	14	21	28	
7	8	15	22	29	

October.

1	2	9	16	23	30
2	3	10	17	24	
3	4	11	18	25	
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The Year and Days of the Week for both Months are in the same column.

4	11	18	25	Mo.	Tu.	We.	Th.	Fr.	Sat.	S.
5	12	19	26	Tu.	We.	Th.	Fr.	Sat.	S.	Mo.
6	13	20	27	We.	Th.	Fr.	Sat.	S.	Mo.	Tu.
7	14	21	28	Th.	Fr.	Sat.	S.	Mo.	Tu.	We.
1	8	15	22	Fr.	Sat.	S.	Mo.	Tu.	We.	Th.
2	9	16	23	Sat.	S.	Mo.	Tu.	We.	Th.	Fr.
3	10	17	24	S.	Mo.	Tu.	We.	Th.	Fr.	Sat.
<b>November.</b>				1771	1772	1773	1774	1775		

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Ware, W. Powell

Prof. Ware's \$10,000 prize rule  
for the equation of payments.

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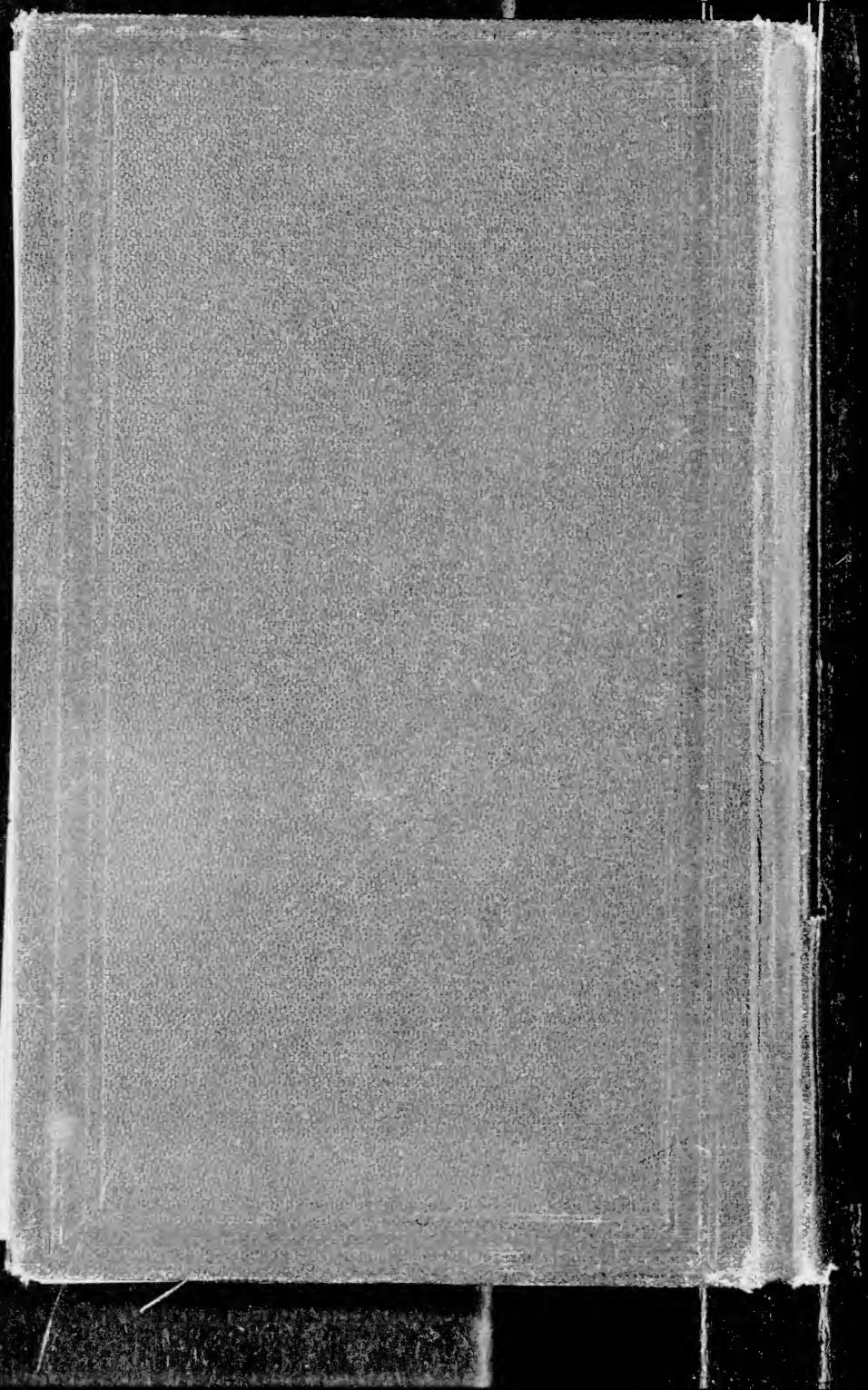
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